

| GRADE - XII | MT- 1[2024-2025] | Max Marks - 20 |
|-------------|------------------|----------------|
| 10/06/2024 | PHYSICS | TIME – 50 min |
| | | |

| | Section A | |
|---|--|---|
| 1 | (c)3×10 ⁷ Vm ⁻¹ | 1 |
| 2 | (b) cancels the potential barrier | 1 |
| 3 | (c)less than 1 | 1 |
| 4 | C) Assertion is correct but Reason is incorrect. | 1 |
| | Section B | |
| 5 | E = E = E = E = E = E = E = E = E = E = | 2 |



| | whereas the diode D2D2becomes reverse biased and conducts current during this cycle. | |
|---|---|---|
| | Section D | |
| 8 | | 5 |
| | Electric flux is defined as the measure of count of number of electric field | |
| | lines crossing an area. | |
| | Electric flux $\phi = EAcos\theta$ | |
| | SI unit of electric flux is Nm2/C | |
| | The law states that the total flux of the electric field E over any closed | |
| | surface is equal to $1\varepsilon 0$ times the net charge enclosed by the surface. | |
| | φ=μευ | |
| | $2\pi r$ $+$ $+$ $+$ $+$ $+$ $+$ $+$ $+$ $+$ $+$ | |
| | The electric flux (ϕ) through curved surface = $\oint Edscos\theta$ | |
| | $\phi = \oint Eds \left[\because \theta = 0; \cos \theta = 1 \right]$ | |
| | =E(2rnI) [The surface area of the curved part is] since \rightarrow E and \rightarrow ds are | |
| | right angles $2\pi rl$ to each other, the electric flux through the plane | |
| | caps =0. | |
| | \therefore Total flux through the Gaussian surface, $\phi = E(2\pi r l)$. The net charge | |

| | enclosed by Gaussian surface is, $q = \lambda I$ | |
|---|--|-------|
| | ∴ By Gauss's law, | |
| | =E(2πrl)λlε0 or E=λ2πε0r | |
| | Section E | |
| | Case Study Based Question: Read the Case Study given below and answer the question that follow: | 1X4=4 |
| 9 | 1.d | |
| | 2.c | |
| | 3.a | |
| | 4.b | |
| | Or | |
| | 4.d | |
| | | |